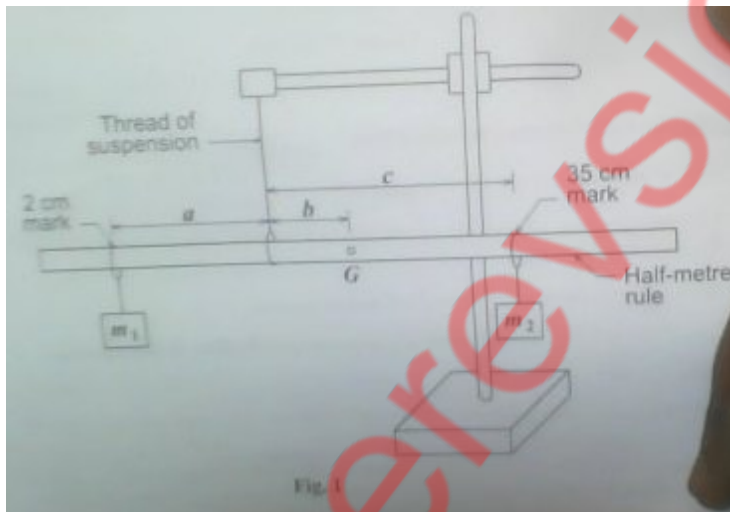


UNEB UACE PHYSICS PAPER 3 2018

1. In this experiment, you will determine a property, # of half – meter rule provided by two methods.

METHOD I

- Balance the half-meter rule provided horizontally on a knife edge.
- Read and record the balance point g
- Suspend the half –meter rule from the retort stand clamp with its scale facing upwards using a piece of thread.
- Suspend a mass $m_1 = 0.050\text{kg}$ from the 2.0cm mark of the half-meter rule.
- Suspend a mass $m_2 = 0.020\text{kg}$ from the opposite side of the thread of suspension at the 35.0cm mark of the half – meter rule as shown in figure 1.

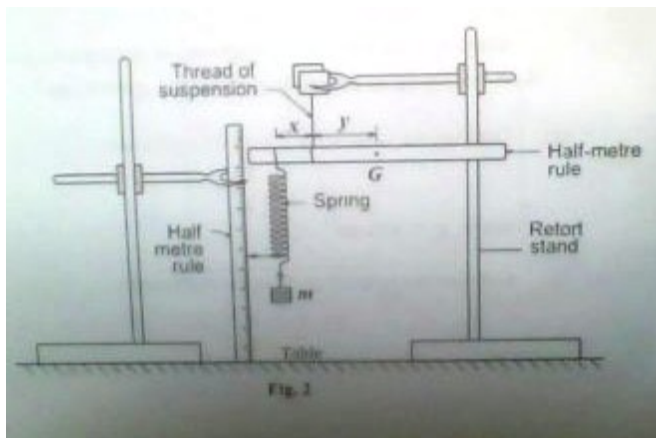


- Adjust the position of the thread of suspension of the half meter rule until it balances horizontally.
 - Measure and record the distances a , b and c
 - Leave the set-up undisturbed
 - Calculate the value of, #1 from the expression;
- Adjust the position of the thread of suspension of the half-meter rule until it balances horizontally.
 - Measure and record the distances a , b and c
 - Leave the set-up undisturbed.
 - Calculate the value of,#1 from the expression;

$$\gamma_1 = \frac{5a - 2c}{100b}$$

METHOD II

- Attach a pointer to one end of the spiral spring using masking tape.
- Remove the masses m_1 and m_2 from the half-meter rule in the set-up you used in method I.
- Suspend the spring from 2.0cm mark of the half-meter rule using a piece of thread.
- Adjust the position of the thread of suspension of the half – meter rule until it balances as shown in figure 2



- e) Clamp the second half – meter rule vertically and move it near the pointer.
 f) Read and record in meters the initial pointer position P_0
 g) Suspend a mass $m= 0.050\text{kg}$ from the lower end of the spring and adjust the position of the thread of suspension until it balances horizontally.
 h) Read and record in meters the new pointer position, P_1
 i) Read and record the distances x and y
 j) Calculate the extension, e , of the spring meters
 k) Repeat the procedure (g) to (j) for values of $m= 0.100, 0.150, 0.200, 0.250$ and 0.300kg

l) Record your results in a suitable table including values of $\frac{y}{x}$

m) Plot a graph of e against $\frac{y}{x}$

n) Find the slope, S , of the graph.

o) Calculate the value of k from the expression;

$$k = \frac{mg}{e_1}$$

$k =$ where e_1 is the value of the extension, e corresponding to mass $m= 0.300\text{kg}$ in your table of results and $g = 9.81 \text{ms}^{-2}$

p) Calculate the value of, #2 from the expression;

$$\gamma_2 \frac{Sk}{g}$$

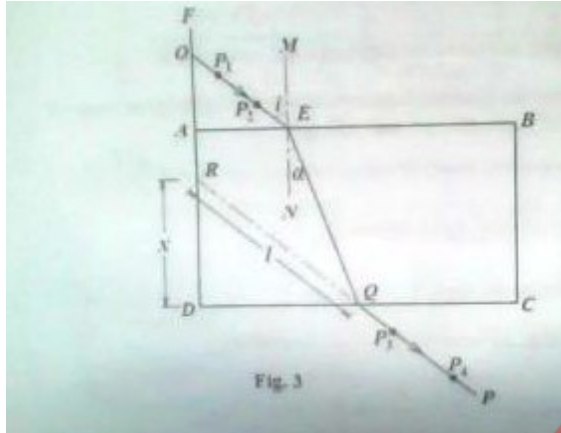
where $g= 9.81\text{ms}^{-2}$

q) Calculate the value of # from the expression

$$\gamma = \frac{1}{2}(\gamma_1 + \gamma_2)$$

2. In this experiment, you will determine the property, #, of the glass block provided.

- Fix a plain sheet of white paper on a soft board using drawing pins
- Place the glass block centrally on the sheet of paper with its largest face uppermost.
- Trace the outline of the glass block ABCD, as shown in figure 3



- Remove the glass block
- Extend DA to a point F about 7cm from A
- Draw a normal, MN at E, a distance about $\frac{1}{4}$ AB
- Draw a line OE at angle $i = 15^\circ$ to the normal MN
- Replace the glass block on its outline
- Fix pins P_1 and P_2 vertically along line OE
- While looking through the glass block from side DC, fix pins P_3 and P_4 such that they appear to be in line with the images of P_1 and P_2
- Remove the glass block and the pins
- Draw a line through P_3 and P_4 to meet DC at Q and produce PQ to meet DF at R
- Join Q to E
- Measure and record the distances x and l and angle #
- Replace the glass block and repeat procedure (g) to (n) for values of $i = 25^\circ, 35^\circ, 45^\circ, 55^\circ$ and 65° .
- Tabulate your results including values of $\sin^2 \#$ and $\frac{x^2}{l^2}$
- Determine the slope, S, of the graph
- Calculate the value of β_1 , from the expression

$$\beta_1 = \sqrt{\frac{-1}{S}}$$

- Read and record the intercept, C, on the $\sin^2 \#$ -axis

u) Calculate the value of β_2 , from the expression

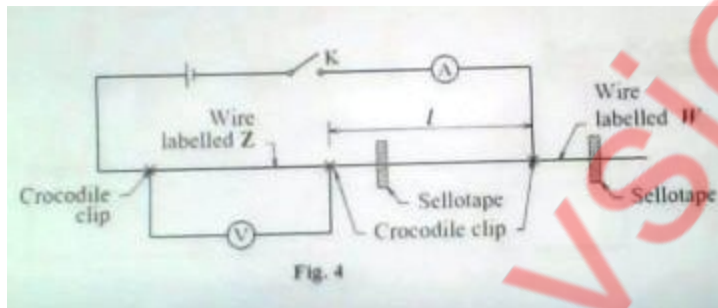
$$\beta_2 = \sqrt{\frac{1}{C}}$$

v) Find the value of the constant, β , from the expression;

$$2\beta = (\beta_1 + \beta_2)$$

(Tracing is handed in together with the script)

3. In this experiment, you will determine a constant, β of the wire labeled, W



a) Connect the circuit shown in figure 4 such that length, l , of the bare wire W = 0.100m. Make sure that the length of wire Z connected is 0.500m.

b) Close switch, K

c) Read and record the ammeter reading I_1 and the voltmeter reading V_1

d) Repeat procedure (a) and (b) for $l = 0.500m$

e) Read and record the ammeter reading I_2 and voltmeter reading V_2

f) Repeat procedure (a) to (b) for $l = 0.700m$

g) Read and record the ammeter reading I_3 and voltmeter reading V_3

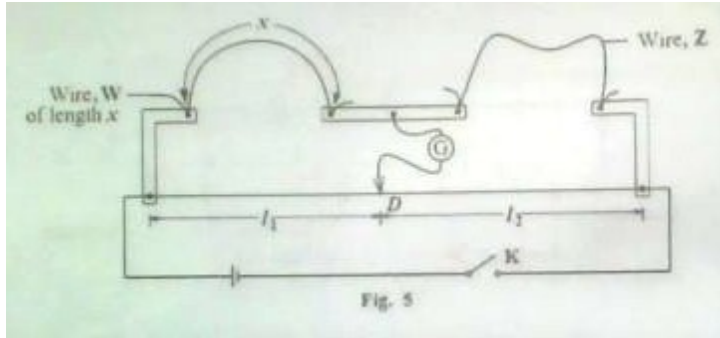
h) Find the resistance, R, of Z from the expression,

$$R = \frac{1}{3} \left[\frac{V_1}{I_1} + \frac{V_2}{I_2} + \frac{V_3}{I_3} \right]$$

DISMANTLE THE APPARATUS

PART II

a) Measure and record, in meters, the diameter, d , of the wire labeled W



- Connect the circuit as shown in figure 5. Make sure that the length of Z connected is 0.500m
- Starting with a length $x = 0.200\text{m}$ of wire, W, close switch K
- Move the sliding contact along the bridge wire to a point D where the galvanometer shows no deflection.
- Read and record the balance length, l_1 and l_2
- Open switch K.
- Repeat procedure (c) to (f) for values of $x = 0.300, 0.400, 0.500, 0.600$ and 0.700m
- Record your results in a suitable table including values of and
- Plot a graph of R_x against x
- Find the slope, S, of the graph.
- Calculate the constant, #, from the expression

DISMANTLE THE APPARATUS

PART II

- Measure and record, in meters, the diameter, d , of the wire labeled W
- image
- Connect the circuit as shown in figure 5. Make sure that the length of Z connected is 0.500m
 - Starting with a length $x = 0.200\text{m}$ of wire, W, close switch K
 - Move the sliding contact along the bridge wire to a point D where the galvanometer shows no deflection.
 - Read and record the balance length, l_1 and l_2
 - Open switch K.
 - Repeat procedure (c) to (f) for values of $x = 0.300, 0.400, 0.500, 0.600$ and 0.700m
 - Record your results in a suitable table including values of

$$\frac{l_1}{l_2} \text{ and } R_x = R \frac{l_1}{l_2}$$

- Plot a graph of R_x against x
- Find the slope, S, of the graph.
- Calculate the constant, #, from the expression

$$\frac{1}{S} = \frac{\pi d^2}{4\alpha}$$

DISMANTLE THE APPARATUS

gcerevsnion.com